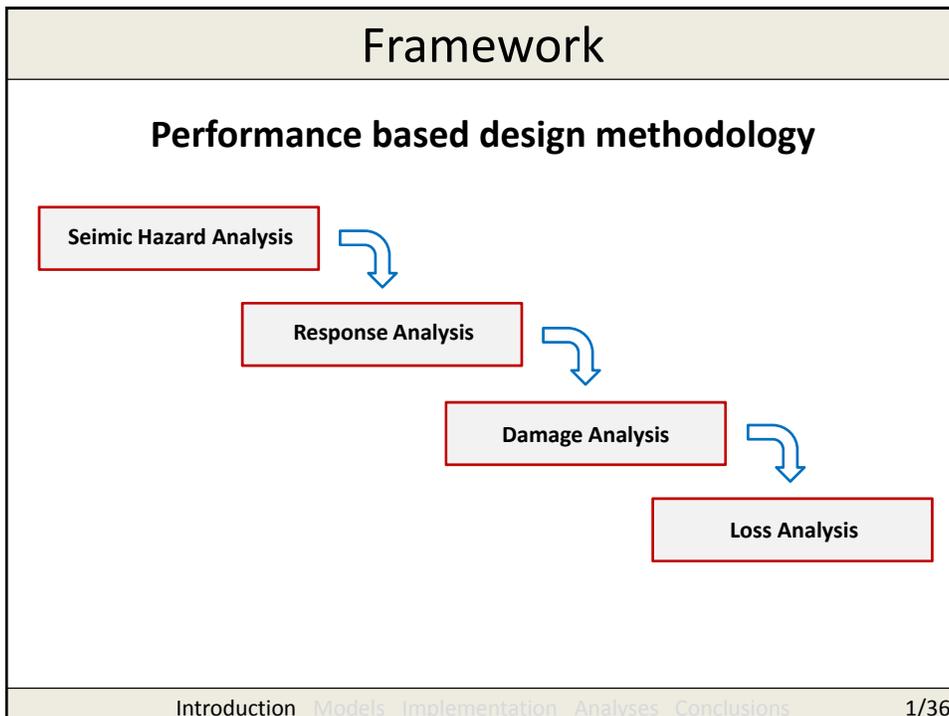


	<p>UNIVERSITY OF PADUA ITALY Dept. Civil Environmental Arch. Eng.</p> <p>UNIVERSITY OF CALIFORNIA BERKELEY Dept. Civil and Environmental Eng.</p>	
<h1>Cyclic Inelastic Analysis of RC Shear Walls and Plates</h1> <p>Leopoldo Tesser and Filip C. Filippou</p>		
<p>OpenSees Days 2012, August 15-16</p>		



# Framework

## Performance based design methodology

Seismic Hazard Analysis

**Response Analysis**

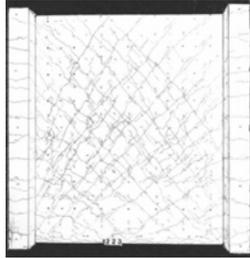
Damage Analysis

Loss Analysis

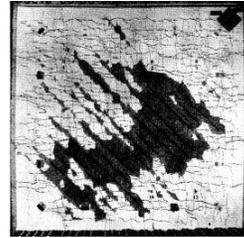
# Background



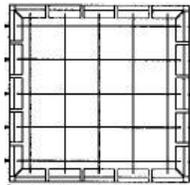
## Experimental Investigations



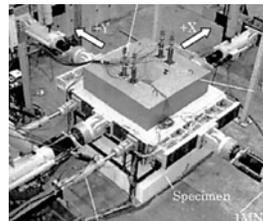
Maier and Thürlimann 1985



Stevens et al. 1991



Mansour and Hsu 2005



JNES 2006

## Recent Tests by NEES



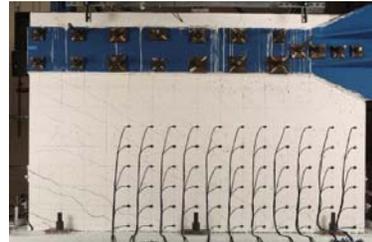
Univ. of Michigan



Univ. of Illinois



Univ. of Minnesota



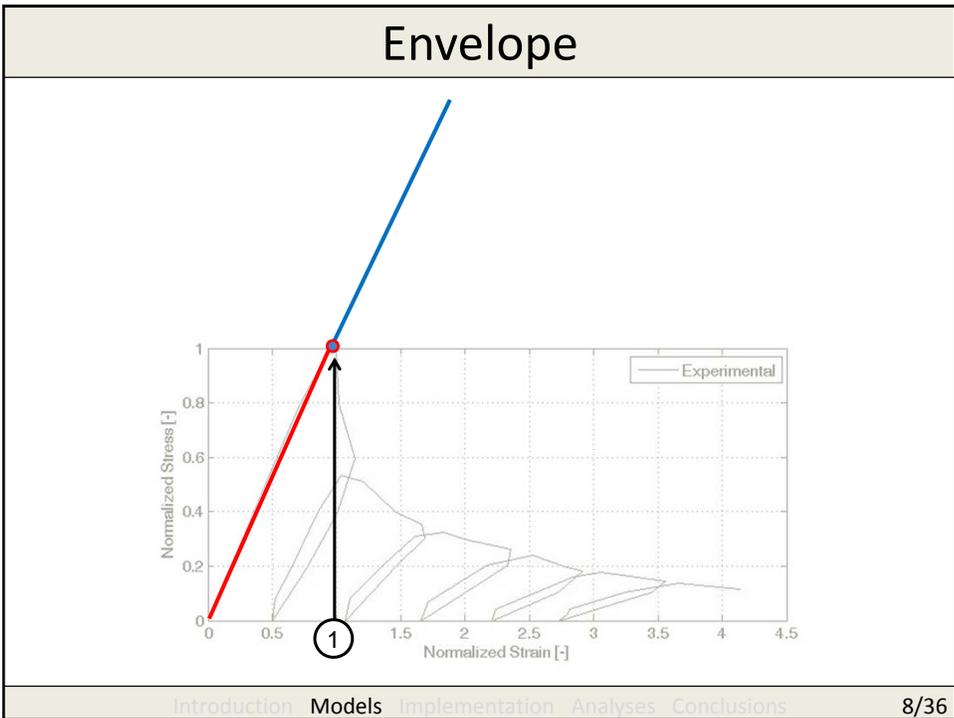
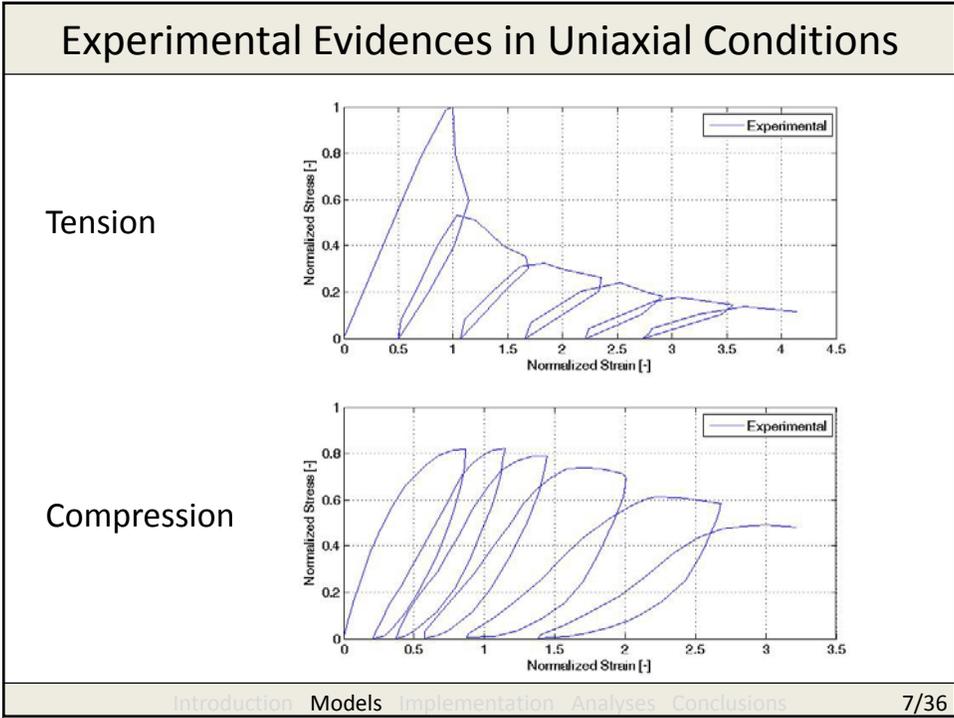
Univ. of CA Berkeley

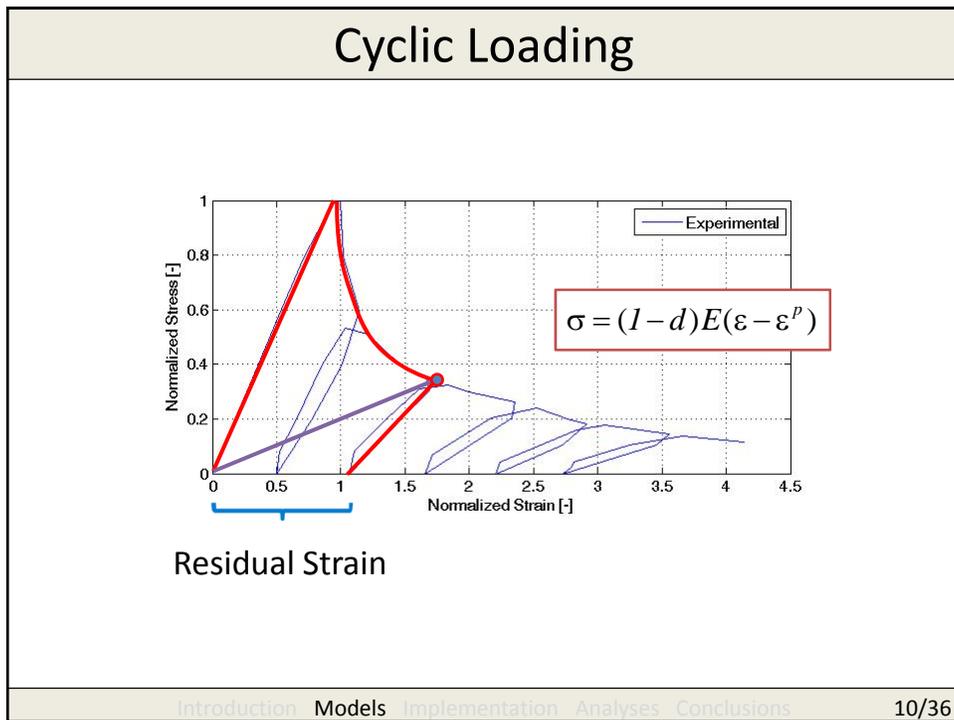
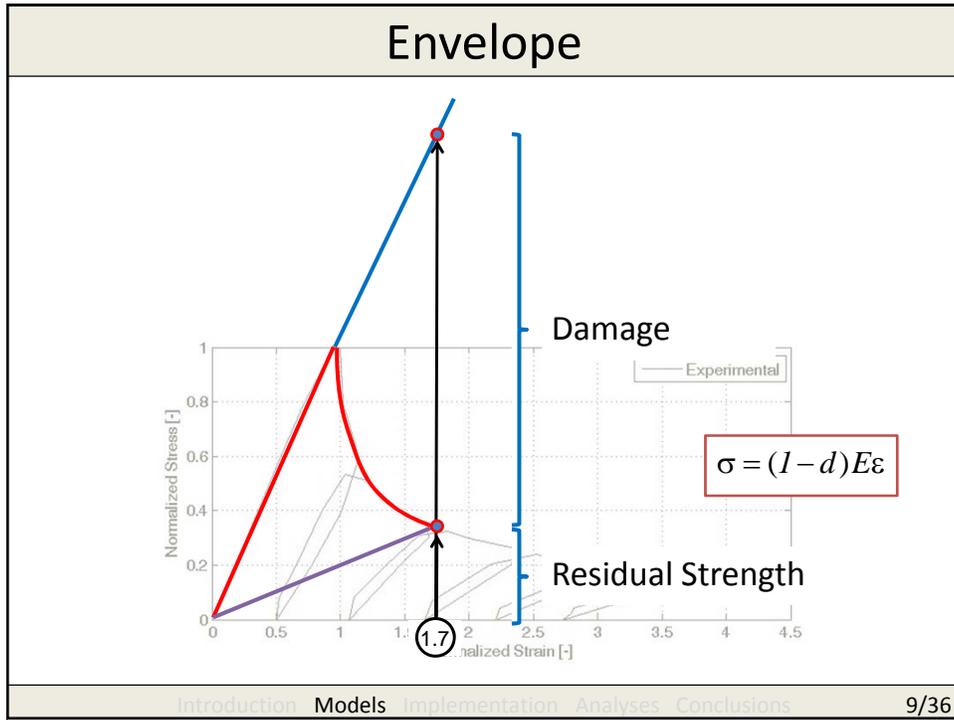
## Existing Models

- They can be subdivided in two categories:
  - **Plane stress models** for all types of RC elements
  - **Fiber beam models** for particular RC members
  - Some incorporated in commercial software
- Plane stress FE models seem to have issues of **accuracy for general RC stress states, computational efficiency** for large scale, or **robustness**
- Fiber beam models with shear appear to be limited to cases of **moderate shear demand**

## Objectives of the Current Work

- The current work aims at developing an efficient membrane and plate model for the simulation of RC structural elements under cyclic loads with the following features:
  - **general** and **suitable** for several types of RC elements under high shear with normal force and bending moment
  - **accurate** and **computationally efficient** to be suitable for the earthquake analysis of large structures
  - **plastic** and **damage** evolution laws describe plastic strain and stiffness degradation at the material level
- The membrane and plate model is implemented in a general purpose platform so that it can be combined with other finite elements, such as beam or column elements, for modeling an entire structure





## Features of the Presented Model

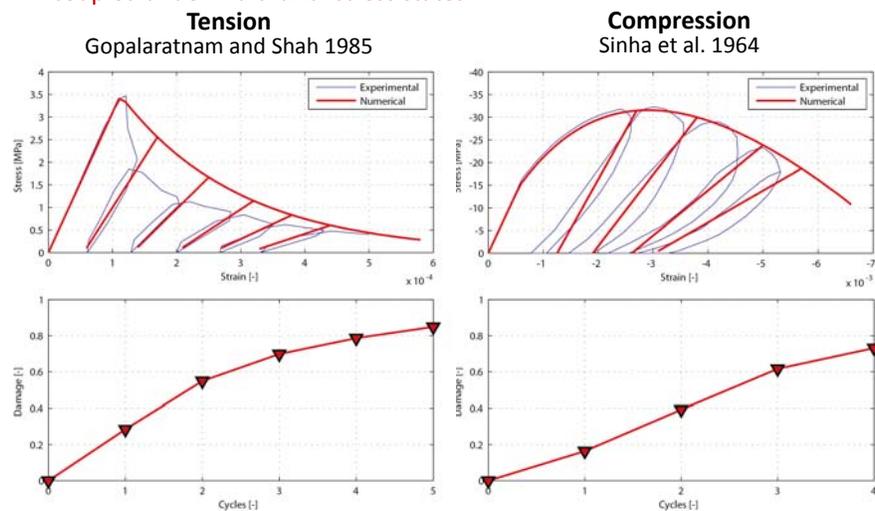
- The features of the presented concrete constitutive law are:
  - it is a **general three-dimensional law** that can be used with all types of finite elements
  - both tensile and compressive damage modes are taken into account by means of **two scalar damage parameters**
  - a **simplified plasticity** evolution law represents the residual strains for all stress states
  - it uses a **straight forward algorithm** for material state determination
- The material parameters are calibrated once from experimental data and used consistently in applications (no parameter “tuning”)
- The 3d concrete law is constrained to a plane stress state for the RC membrane element
- The out-of-plane stress of the 3D concrete law is condensed out for use with the RC plate element

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## Plastic-Damage Concrete Model

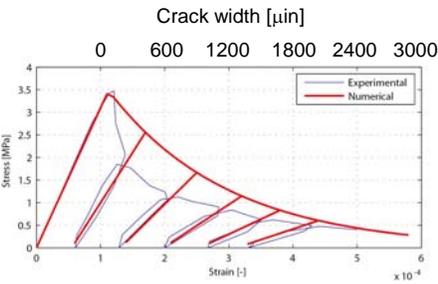
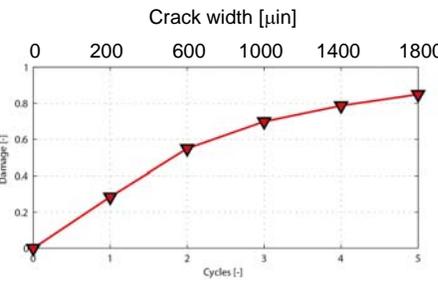
Separate scalar damage parameters for tension and compression; these are coupled under multi-axial stress states



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## Crack Width

- The **correlation** between average concrete tensile strains, tensile damage parameter and crack width can be derived from experimental measurements
- The correlation holds only for micro-cracks; this may be suitable for **structural durability studies**
- For the estimation of large crack widths under seismic excitations the reinforcing steel strains should be used

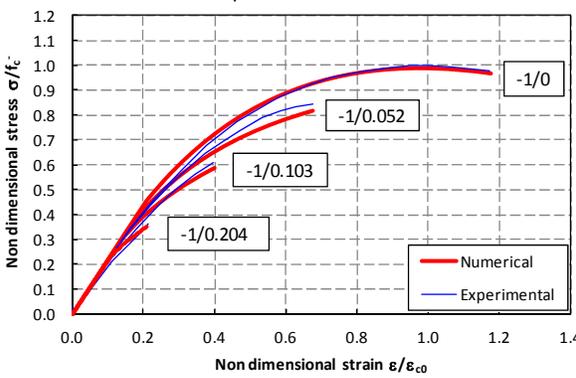
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## Multi-Axial Conditions

The concrete constitutive law is developed in **three-dimensions** and can be used with all types of finite elements

For the analysis of RC shear walls the most significant biaxial stress state is **tension-compression**

Kupfer et al. 1969



ratio of  
minimum to maximum  
principal stress

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## RC Membrane Model

The 3d concrete law is constrained to a plane stress state



Concrete



Uniaxial Steel layer

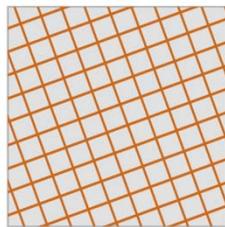
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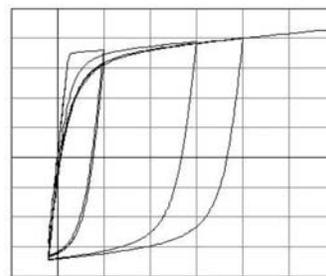
## RC Membrane Model

The 3d concrete law is constrained to a **plane stress state**

Uniaxial steel constitutive relations



Reinforced Concrete



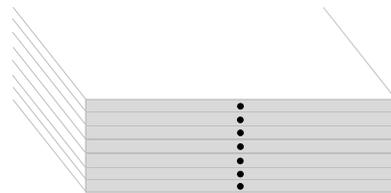
Filippou et al. (1983)

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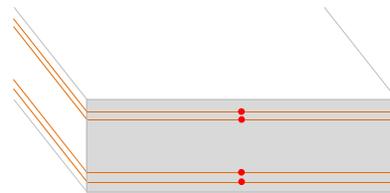
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## RC Plate Model

The out-of-plane stress of the 3d concrete law is condensed



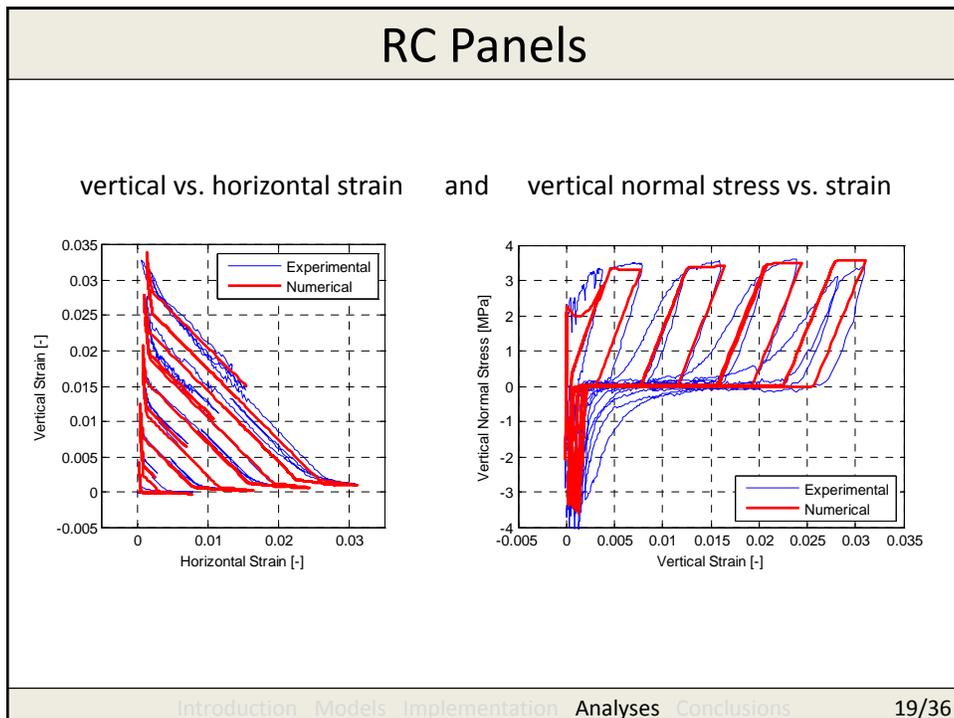
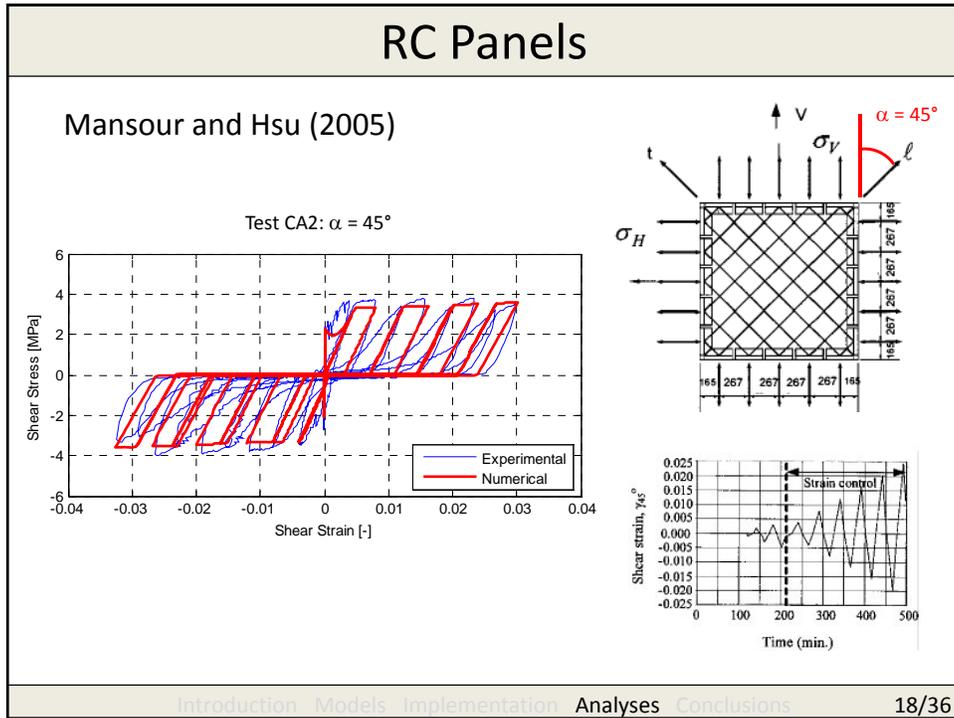
numerical integration over  
the thickness:  
e.g. 7 mid-points

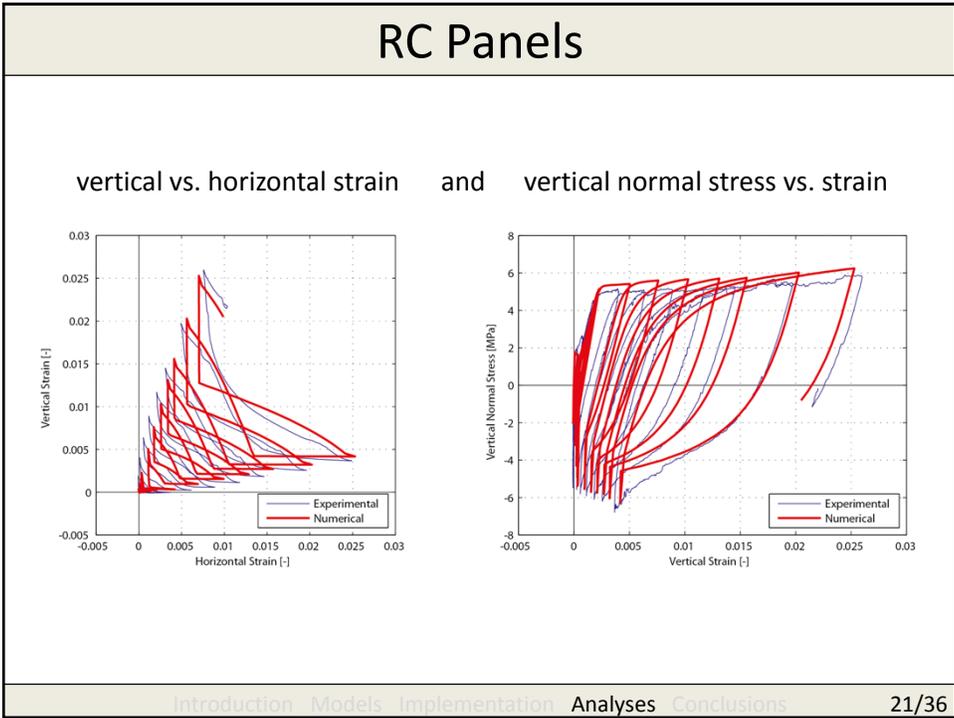
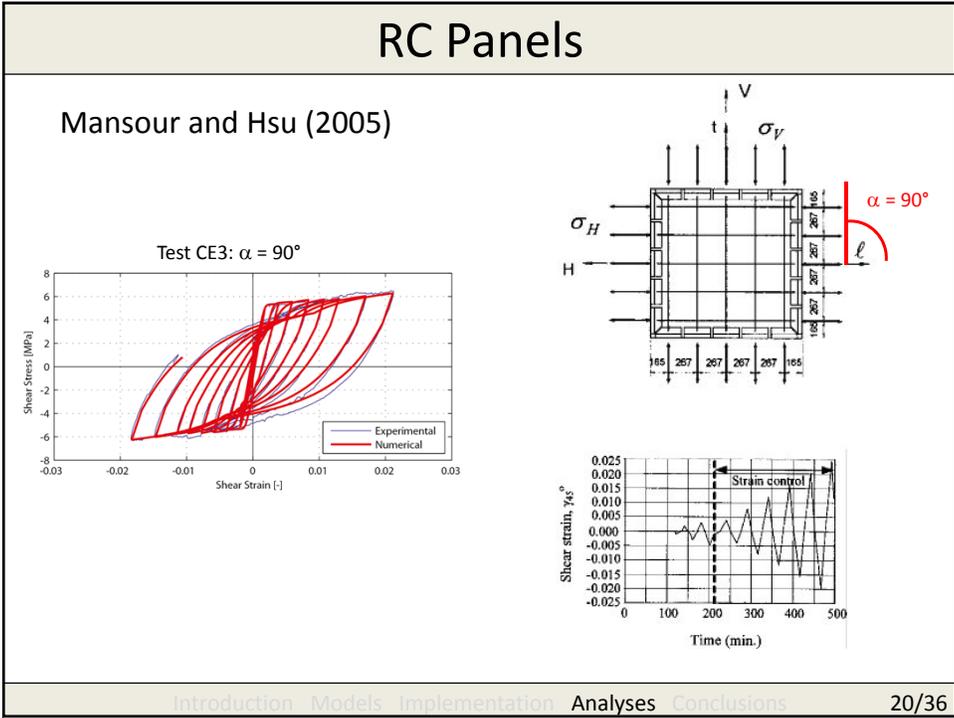


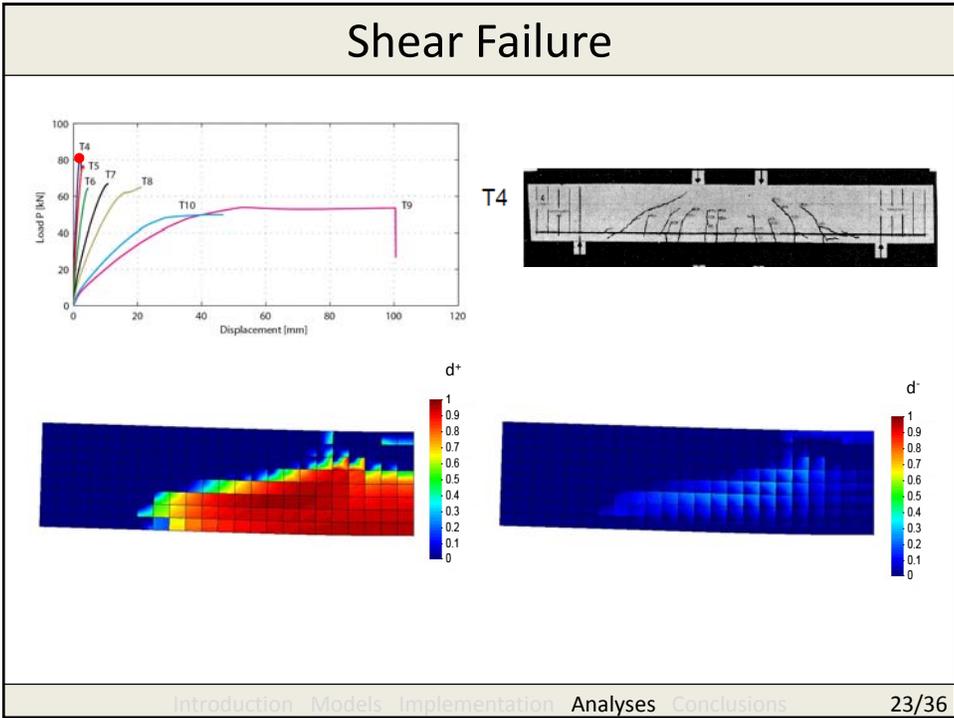
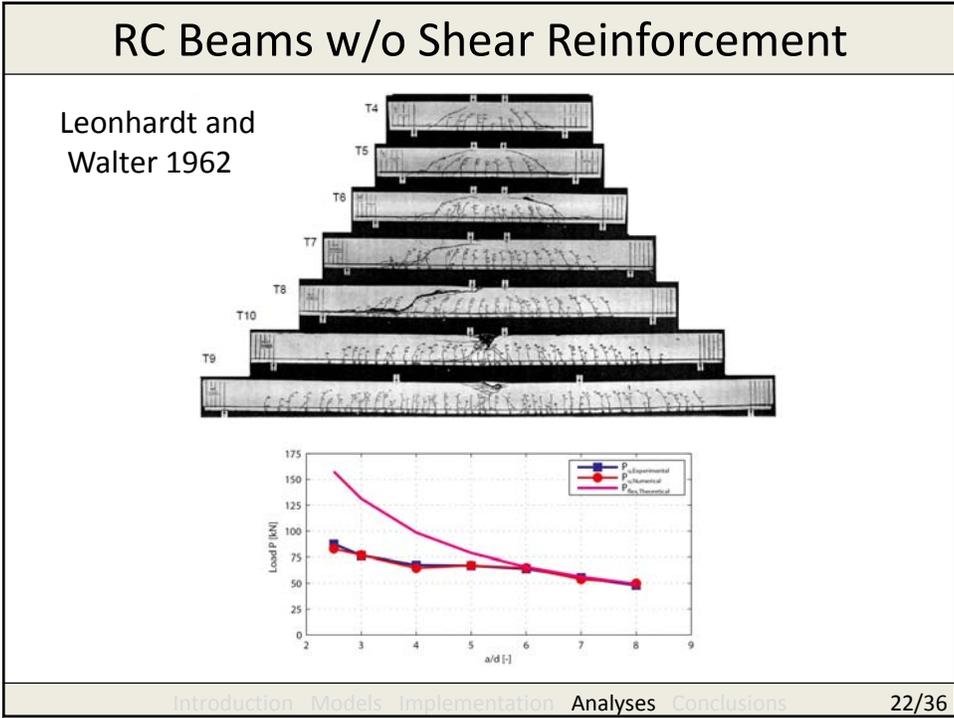
Insertion of reinforcing layer  
at actual locations  
e.g. 2 reinforcement nets

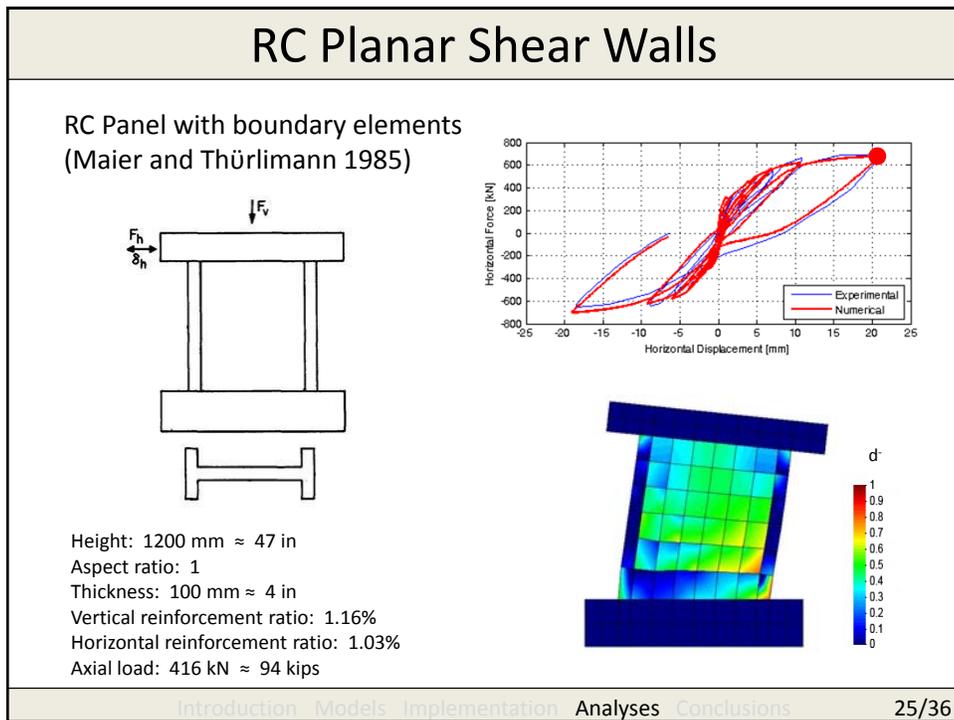
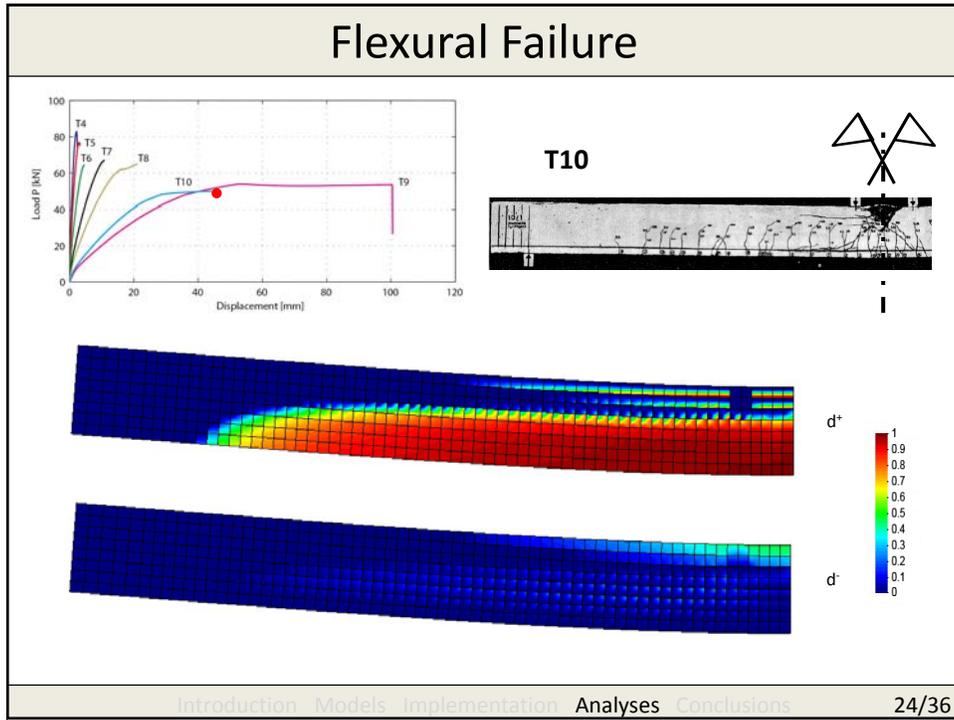
## Correlation with experiments

The material parameters are calibrated once from experimental data on the concrete material and used consistently in the correlation studies (no parameter “tuning”)





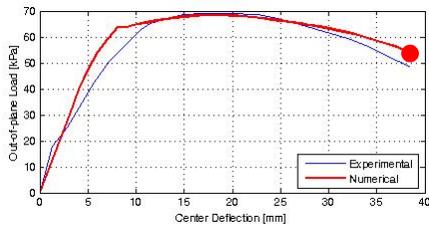




## RC Plates

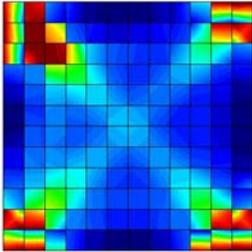
**RC Plates under combined in-plane and lateral loads**  
(Ghoneim and MacGregor 1994)

Size: 72 in  $\approx$  1829 mm  
 Thickness: 2.65 in  $\approx$  67.4 mm  
 Isotropic reinforcement ratio: 0.77% in two grids  
 In-plane biaxial compression: 1400 psi  $\approx$  9.8 MPa  
 Transverse load carrying capacity: 1440 psf  $\approx$  69 kPa

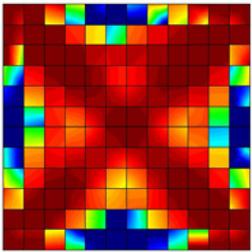


The graph plots Out-of-plane Load (kPa) on the y-axis (0 to 70) against Center Deflection (mm) on the x-axis (0 to 40). Two curves are shown: a blue line for 'Experimental' and a red line for 'Numerical'. Both curves show a peak load of approximately 65 kPa at a deflection of about 20 mm, followed by a slight decrease.

Compressed layer



Tensed layer



Two heatmaps show the stress distribution in the 'Compressed layer' and 'Tensed layer'. A color scale on the right of each heatmap, labeled 'd+', ranges from 0 (blue) to 1 (red), with intermediate values at 0.1, 0.2, 0.3, 0.4, 0.5, 0.6, 0.7, 0.8, and 0.9.

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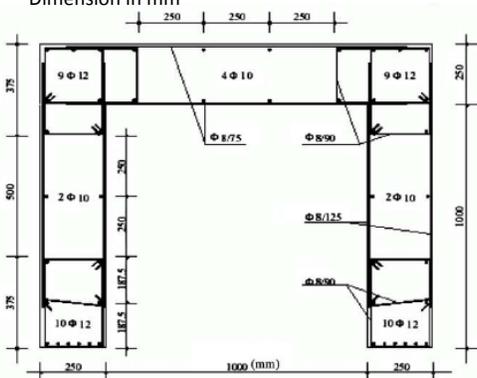
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## RC U-shaped Shear Wall (1)

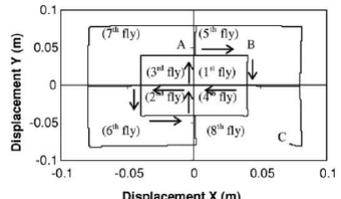
**U-shaped shear wall**  
(Pégon et al., JRC Ispra, 2000)

Height: 3.6 m  $\approx$  11 ft 10 in  
 Axial load: 2MN  $\approx$  450 kips

Dimension in mm



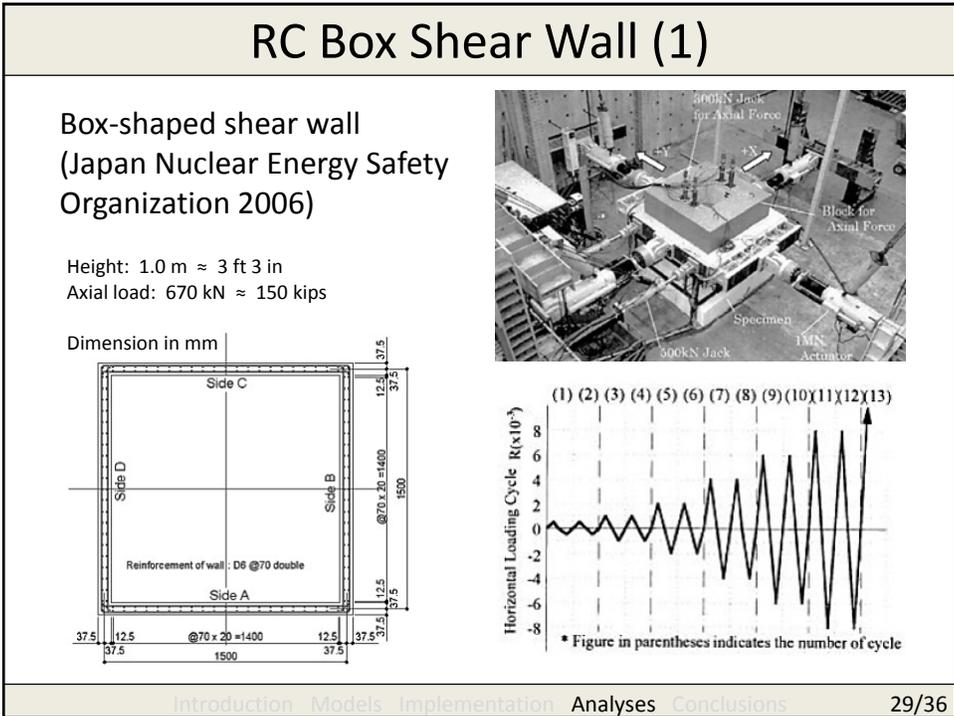
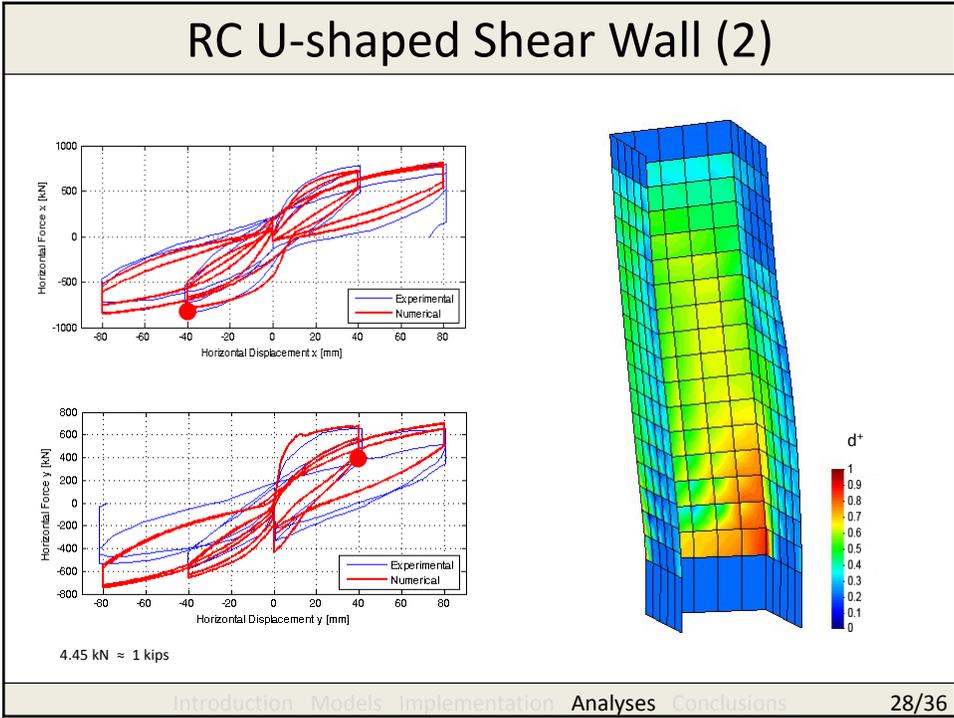
The diagram shows a U-shaped wall with a total height of 1000 mm and a total width of 1000 mm. It features various reinforcement bars: 9  $\Phi$  12 in the top flange, 4  $\Phi$  10 in the top chord, 2  $\Phi$  10 in the vertical stem, and 10  $\Phi$  12 in the bottom flange. Other bars include  $\Phi$  8/75,  $\Phi$  8/90, and  $\Phi$  8/125.

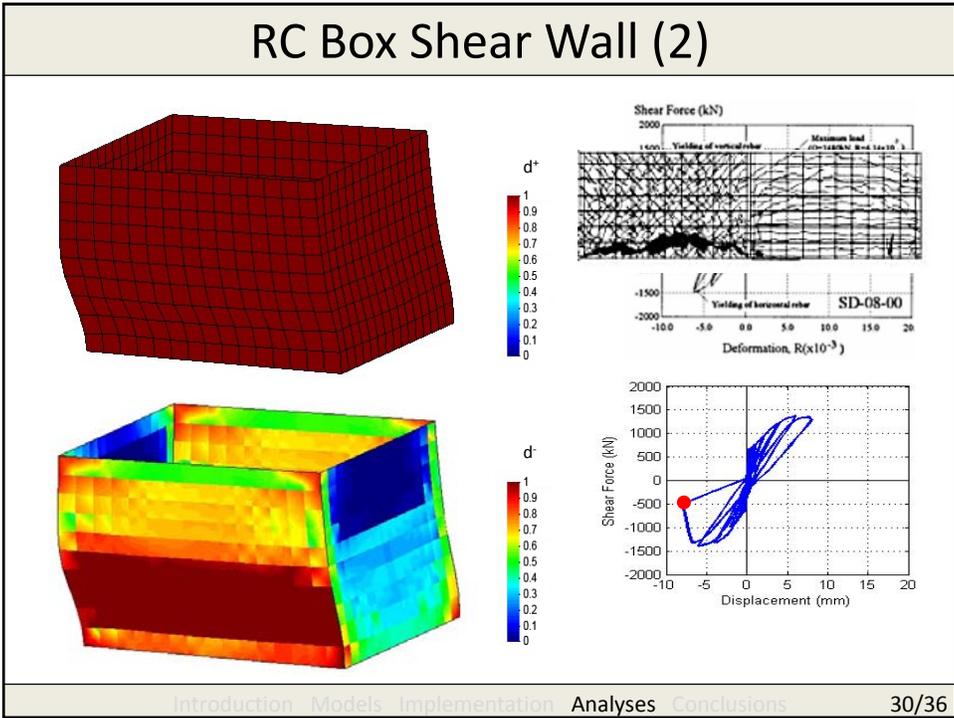
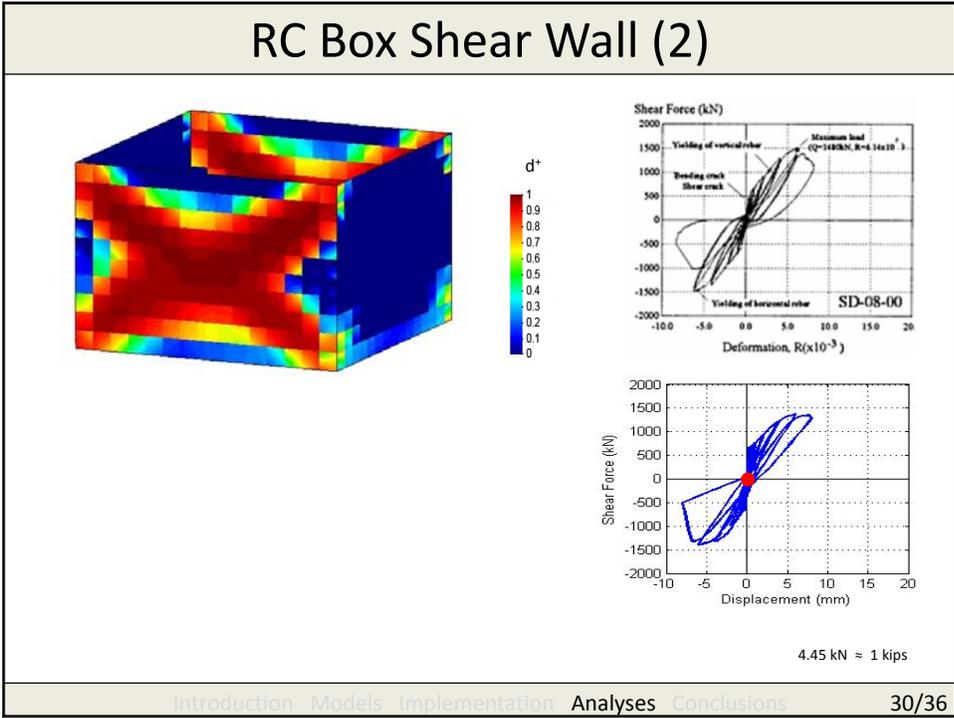



The displacement diagram shows Displacement Y (m) on the y-axis and Displacement X (m) on the x-axis, both ranging from -0.1 to 0.1. It illustrates the movement of different parts of the wall: (7<sup>th</sup> fly) and (5<sup>th</sup> fly) move right; (3<sup>rd</sup> fly) and (1<sup>st</sup> fly) move left; (2<sup>nd</sup> fly) and (4<sup>th</sup> fly) move down; (6<sup>th</sup> fly) and (8<sup>th</sup> fly) move up. Points A, B, and C are marked on the diagram.

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## Conclusions (1)

- **Excellent agreement** with correlation studies was observed for different specimens
  - concrete cylinders and prisms under cyclic loads (uniaxial stress states)
  - concrete prisms under combined tension and compression
  - RC panels under cyclic shear loads (uniform stress state)
  - beams without shear reinforcement (complex stress states)
  - planar, U- and box-shaped RC shear walls under axial force and cyclic lateral loads (complex stress states)
- The **tensile and compressive damage parameters** of the concrete constitutive law permit the interpretation of observed experimental behavior in regard to
  - accumulated structural damage
  - failure mechanisms
  - tensile cracks location and orientation
  - micro-cracks width
  - concrete compression strut location and orientation

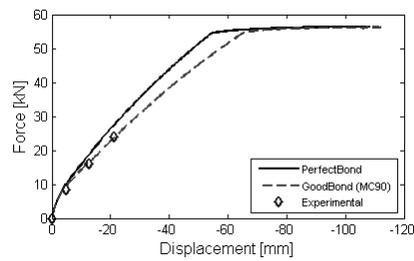
## Conclusions (2)

- Neglecting the **dowel action** and **bond-slip** of reinforcing bars does not seem to affect the agreement of the model with the experimental data regarding strength. However,
  - some discrepancy in unloading and reloading is evident
  - the dowel action of the reinforcement is statistically significant in affecting the unloading stiffness the more the orientation of the reinforcing bars deviates from the principal stress directions
- The **robustness** and **consistency** of the proposed RC membrane and plate model over a range of structural elements under different stress states holds significant promise for its use as reliable tool for the simulation of structural systems under earthquake excitations

## Current Work (1)

Influence of bond-slip and Bond degradation

T10



## Current Work (2)

Shear Deficient Columns

